

KNEDGEN WISCONSIN A causality perspective of genomic breed composition for composite animals

Xiao-Lin Wu 1.2", Zhi Li 1, Yanfang Wang 2.3, Jun He 1.4, Guilherme J. M. Rosa 2, Ryan Ferretti 1, John Genho 1, Richard G. Tait Jr. 1, Jamie Parham 1, Tom Schultz 1, Stewart Bauck 1

- 1 Biostatistics and Bioinformatics, Neogen GeneSeek Operations, Lincoln, NE 68504, USA; 2 Department of Animal Sciences, University of Wisconsin, Madison, WI 53706, USA;
- 3 Ministry of Education Key Laboratory of Marine Genetics and Breeding, Ocean University of China, Qingdao, Shandong 266100, China;
- 4 College of Animal Science and Technology, Hunan Agricultural University, Changsha, Hunan 410128, China.

Introduction

- ✓ Genomic breed composition (GBC) of an individual animal refers to the partition of its genome according to the inheritance from its ancestors or ancestral breeds.
- ✓ Various statistical methods have been proposed to estimate GBC (Pritchard et al., 2000; Tang et al., 2005; Bansal and Libiger, 2015; Frkonja et al., 2012), but the interpretations of estimates have varied across methods. For example, linear regression estimated the GBC of an individual by adjusted regression coefficients of coded genotypes of each animal as the progeny on the ancestral allele frequencies (Chiang et al., 2010; Kuehn et al., 2011; Van Raden and Cooper, 2015).
- ✓ The admixture model, which postulates that an observed genotype is an instance of a multinomial distribution with the genotype probability being a mixture of those of their ancestors. In this case, the GBC of an individual animal is estimated by the weights of the admixture (Bansal and Libiger, 2015).
- ✓ In the present study, we proposed the use of path analysis to decompose the causality relationships between composite (or crossbred) animals and their putative ancestors (or reference breeds) and to estimate GBC of individual animals in terms of the relative determination of respective ancestral (or reference) breeds.

Materials and Methods

Number of SNPs and animals

Type	Breed -	GGPNK		COPHIK		GGPNK		n.Anim	
		n.A.com	8/5/5/2P	n/Amire	MANNE	a.Aunien	ASSNE	Before DC	Affer D
	Directions for	2.9	32,179	,500	40,067	7,242	49,463	7,665	7,605
Composite	Brunger	1,719	32,179	3,053	40,660	3,605	49,463	7,969	7,969
Ancestral	Anges	6,839	32,179	15,199	40,660	20,359	49,463	45,396	45,367
	Brohman	-		1,811	30,729	509	43,984	2,339	2,271
	Hereford	4,000	32,179	4,000	40,660	2,425	49,463	10.423	18,414
	Shorthorn			3.55	40,660	1,232	49,463	1,587	1,577
Non- ancestral	Gelltviah	2,763	32,179	5,498	40,660	9,508	49,463	17,769	17,735
	Limovesia	373	32,179	2,264	40,660	5,045	46,915	7,689	7,677
	Simproported	3,130	32,179	5,658	40,660	14,754	49,463	23,722	23,693
	Wagyn	1,463	32,179	1,506	40,660	23,720	49,463	26,689	26,364
Sum		19,910		42,629		55,415		152,160	150,67

Statistical method

Linear regression

$$y_i = \mathbf{1}\mu + \sum_{j=1}^{K} b_j x_j + e_i$$

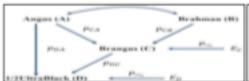
where v is a vector of coded genotypes for the i-th animal, and x is a vector of allele A frequencies for the reference populations.

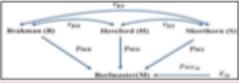
Admixure model

$$\begin{split} Pr(y_i|f_i) &= \begin{cases} f_i^2 & \text{if } y_i = 2\\ 2f_i(1-f_i) & \text{if } y_i = 1\\ (1-f_i)^2 & \text{if } y_i = 0 \end{cases} \\ L(\textbf{\textit{W}}) &= \sum_{i=1}^{M} [y_i \ln(f_i) + (2-y_i) \ln(1-f_i)] + C, \text{ where } C = \sum_{i=1}^{M} \ln\left(\frac{2}{y_i}\right) \\ \frac{2}{y_i} \left[\frac{2}{y_i} \ln\left(\frac{2}{y_i}\right) + \frac{2}{y_i} \ln\left(\frac{2}{y_i}\right) \right] + C \end{split}$$

Path analysis

$$\begin{split} & p_{y_i x_j} = b_j \times \frac{\alpha_j}{\alpha_{y_i}}, \\ & \text{D-GBC} = p_{y_i x_i}^2 / \sum_{j=1}^K p_{y_i x_j}^2; \\ & \text{C-GBC} = \left(p_{y_i x_j}^2 + \sum_{j' \neq j}^K p_{y_i x_j} r_{x_j x_{j'}} p_{y_l x_{j'}} \right) / \sum_{j=1}^K \left(p_{y_i x_j}^2 + \sum_{j' \neq j}^K p_{y_i x_j} r_{x_j x_{j'}} p_{y_i x_j} \right), \end{split}$$

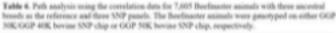




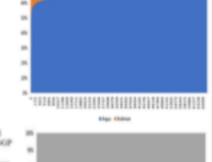
Results

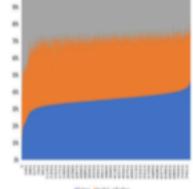
Table 2. Comparison of estimated GBC for 7,969 Brangus with genotype data, obtained by the admixture model, linear regression, and path analysis techniques, respectively, using only Angus and Brahman in the reference breed set.

	Panel	GGP 30K/GGP 40K				GGP 50K			
Model		Angos		Brohman		Anges		Brahman	
		Mean	SD	Meso	SD	Mean	SD	Mean	SER
Adminuter	1K	69.9%	7.3%	30.1%	7.3%	70.3%	7.1%	29.7%	7.159
	5K	69.5%	6.8%	30.2%	6.8%	70.1%	6.8%	29.9%	6.8%
	10K	68.8%	7.1%	31.2%	7.1%	69.1%	7.0%	30.9%	7.0%
A laws	1K	70.0%	7.6%	30.0%	7,6%	70.4%	7.6%	29.6%	7.6%
Linear	510	69.5%	7,4%	30.5%	7.4%	69.5%	7.5%	30.2%	7.5%
Regression	10%	68.6%	7.5%	31.4%	7.5%	69.0%	7.6%	31.0%	7.6%
State Assessment	1K	71.8%	11.9%	28.2%	11.9%	71.5%	12.9%	28.5%	12.3%
(D-GBC)	510	69.6%	11.8%	30.4%	11.8%	70.2%	12.4%	29.8%	12.4%
(Decine)	10%	69.5%	11.7%	30.5%	11.7%	70.2%	12.5%	29.8%	12.3%
And America	1K	70.9%	11.7%	29.1%	11.7%	70.6%	12.1%	29.4%	12.1%
(C-GBC)	5K	68.7%	11.5%	31.3%	11.5%	69.3%	12.0%	30.7%	12.0%
	10%	68.2%	11.3%	31.8%	11.3%	68.5%	11.8%	31.2%	11.8%



Statistics		- 66	PMK/GGP	GGP 50K			
		180	5K.	10%	180	516	10%
Correlation	Besleven	0.552	0.549	0.556	0.544	0.548	0.570
with	Hereford	0.511	0.504	0.504	0.549	0.548	0.543
Berefranter	Shorthern	0.485	0.443	0.483	0.518	0.477	0.520
Path coefficient	Brahman	0.513	0.514	0.517	0.116	0.522	0.526
	Hereford	0.375	0.381	0.371	0.420	0.417	0.398
	Shorthorn	0.275	0.263	0.276	0.310	0.282	0.298
D-GBC	Beshman	54.9%	55.2%	55.6%	51.3%	51.9%	52.8%
	Hereford	29.3%	30.3%	28.6%	31.5%	33.0%	30.2%
	Shorthern	15.7%	14.5%	15.8%	17.2%	15.2%	16.9%
C-68C	Beshmon	50.1%	51.3%	51.0%	46.0%	47,6%	48.0%
	Hereford	31.1%	31.5%	29.8%	33.4%	34,1%	31.4%
	Shorthorn	18.8%	17.3%	19.2%	20.6%	18,3%	20.6%





Conclusions

- Path analysis provides an alternative interpretation and an estimation method of GBC. Two measures of GBC were proposed: D-GBC considered only direct path effects of each reference breed, whereas C-GBC also included indirect path effects due to the correlation between reference breeds.
- Estimated GBC for the Brangus were comparable between path analysis, and linear regression and the admixture model, but large differences were observed with the estimated GBC for the Beefmaster due to large correlated effects.